# Footnotes

1. Following a homonymous paper and thesis by Peter Lee [Lee]. All serious work here is his and was extremely patiently explained by him to DBN. Page design by the latter.

2. The proof presented here is broken. Specifically, at the very end of the proof of the "general case" of Proposition 1 the sum that makes up $\ker \pi_{p-1}$ is interchaged with $\mu_F^{-1}$. This is invalid; in general it is not true that $T^{-1}(U+V) = T^{-1}(U) + T^{-1}(V)$, when $T$ is a linear transformation and $U$ and $V$ are subspaces of its target space. We thank Alexander Polishchuk for noting this gap. A handwritten non-detailed fix can be found at `http://katlas.math.toronto.edu/drorbn/AcademicPensieve/Projects/Quadraticity/`, especially under "Oregon Handout Post Mortem". A fuller fix will be made available at a later time.

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More at `http://www.math.toronto.edu/~drorbn/Talks/Oregon-1108/`