Welcome back to MAT137- Section L5101

- Class begins at 8:10pm ET Mon, Wed, Thursdays
- I am still Sourav (Hi!!)
- Your TAs are Stephen Zhang and Haolin (Lucy) Liu
- Course website: http://uoft.me/MAT137
- Before next class:
 - Watch videos 1.4, 1.5, 1.6
 - Download next class slides.
 No need to look at them.

• Open today's slides alongside Zoom.

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- Mute your mic and camera to avoid lag. Please, without exception!

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- You can also raise your hand and the TA will get back to you.

Let's get started!!

Today's videos: 1.1, 1.2, 1.3 Today's topic: Sets Any question from previous class? Describe the following sets in the simplest terms you can.

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1. [2,4] \cup (3,10)

2. [2,4] \cap (3,10)

3. (\pi,3)

4. [7,7]

5. (7,7)
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1. $[2, 4] \cup (3, 10)$ 2. $[2,4] \cap (3,10)$ **3**. $(\pi, 3)$ 4. [7,7] 5. (7,7) 6. $A = \{ x \in \mathbb{R} : x^2 < 7 \}$ 7. $B = \{ x \in \mathbb{Z} : x^2 < 7 \}$ 8. $C = \{ x \in \mathbb{N} : x^2 < 7 \}$ **Problem 1.** Describe the following sets in the simplest terms you can.

1. $A = \{ x \in \mathbb{R} : \forall y \in [5,7], x < y \}.$ 2. $B = \{ x \in \mathbb{R} : \exists y \in [5,7] \text{ such that } x < y \}$ 3. $C = \{ x \in [5,7] : \forall y \in [5,7], x < y \}.$ 4. $D = \{ x \in [5,7] : \exists y \in [5,7] \text{ such that } x < y \}$ 5. $E = \{ x \in [5,7] : \exists y \in \mathbb{R} \text{ such that } x < y \}$ 6. $F = \{ x \in [5,7] : y \in \mathbb{R}, x < y \}$

Set difference

Given two sets A and B, we define

• $A \setminus B = \{x \in A : x \notin B\}$. This set is called "A minus B".

What are the following sets?

- $[0,1]\setminus(0.5,\infty)$
- $\mathbb{R} \setminus [0,1]$
- $[0,1] \setminus \mathbb{R}$

- A:= {Students whose name starts with A,E, I, O or U}
- B:={Male students}

Raise your hand if you are in $(A \setminus B) \cup (B \setminus A)$. Can you describe the set in English?

This set is called the symmetric difference set of A and B (written as $A\Delta B$).

Let $\mathbb Q$ be the set of rational numbers. Write $\mathbb Q$ in set-building notation.

An irrational number is a number that is real but not rational.

B is the set of positive, rational numbers and negative, irrational numbers.

Write a definition for B using only mathematical notation.

(You may use the words "and", "or", and "such that". You may define B with set-builder notation in one piece, or you may use unions and/or intersections, or something else.)

Let f be a function with domain \mathbb{R} . Rewrite the following statements using \forall or \exists :

- 1. The graph of f intersects the x-axis.
- 2. *f* is the zero function.
- 3. f is not the zero function.
- 4. The equation f(x) = 0 has a solution.
- 5. The equation f(x) = 0 has no solutions.
- 6. f takes both positive and negative values.
- 7. f is never negative.