

- Assignment #1 due on October 1.
You should have received a submission link already.

- TODAY: Abs values and distances.

- MON: The idea of limit **(Videos 2.1, 2.2, 2.3)**
- WED: The definition of limit (Videos 2.5, 2.6)

Properties of absolute value

Let $a, b \in \mathbb{R}$. What can we conclude?

1. $|ab| = |a||b|$

2. $|a + b| = |a| + |b|$

If any of the conclusions is wrong, fix it.

Properties of inequalities

Let $a, b, c \in \mathbb{R}$. Assume $a < b$. What can we conclude?

1. $a + c < b + c$

2. $a - c < b - c$

3. $ac < bc$

4. $a^2 < b^2$

5. $1/a < 1/b$

6. $\sin a < \sin b$

If any of the conclusions is wrong, fix it.

Sets described by distance

Let $a \in \mathbb{R}$. Let $\delta > 0$.

What are the following sets? Describe them using intervals

1. $A = \{x \in \mathbb{R} : |x| < \delta\}$
2. $B = \{x \in \mathbb{R} : |x| > \delta\}$
3. $C = \{x \in \mathbb{R} : |x - a| < \delta\}$
4. $D = \{x \in \mathbb{R} : 0 < |x - a| < \delta\}$

Implications

Find *all* positive values of A , B , and C which make the following implications true.

1. $|x - 3| < 1 \implies |2x - 6| < A$

2. $|x - 3| < B \implies |2x - 6| < 1$

3. $|x - 3| < 1 \implies |x + 5| < C$