## HOMEWORK SET #1: DUE SEPTEMBER 16

- (1) Munkres  $\S13$  Page 84, problems 1,3, 8a
- (2) Let X be a topological space with the 'finite complement' topology, so that a set  $U \subset X$  is open iff  $X \setminus U$  is finite. Prove that a map  $f: X \to X$  is continuous iff f is either constant, or finite-to-one. finite-to-one means that the pre-image of every element has finite cardinality, that is  $\forall y \in Y, |f^{-1}(y)| < \infty$ .